

1a) divisible by 2, since it ends in 6
not divisible by 3, since the sum of digits is 20
not divisible by 6, since it is not divisible by 3

1b) divisible by 2, since it ends in 2
divisible by 3, since the sum of digits is 36, which is $3 \cdot 12$
divisible by 6, since it is divisible by both 2 and 3

1c) not divisible by 2, since it ends in 1
not divisible by 3, since the sum of digits is 25, which is not divisible by 3
not divisible by 6, since it is not divisible by either 2 or 3

1d) divisible by 2, since it ends in 0
not divisible by 3, since the sum of digits is 23, which is not divisible by 3
not divisible by 6, since it is not divisible by 3

2a) $\text{sum} = 4046895 = 837 \cdot 1899 + 837 \cdot 2936 = 837 \cdot (1899 + 2936) = 837 \cdot 4835$
Thus, 4046895 is divisible by 837

$\text{difference} = 867969 = 837 \cdot 2936 - 837 \cdot 1899 = 837 \cdot (2936 - 1899) = 837 \cdot 1037$
Thus 867969 is divisible by 837

2b) $\text{sum} = 2808624 = 1092 \cdot 1995 + 1092 \cdot 577 = 1092 \cdot (1995 + 577) = 1092 \cdot 2572$
Thus 2808624 is divisible by 1092

$\text{difference} = 1548456 = 1092 \cdot 1995 - 1092 \cdot 577 = 1092 \cdot (1995 - 577) = 1092 \cdot 1418$
Thus 1548456 is divisible by 1092

3a) $12 \cdot 683936 = 8207232 = 12 \cdot 638 \cdot 1072 = 638 \cdot (12 \cdot 1072) = 638 \cdot 12864$
Thus 8207232 is divisible by 638

$12 \cdot 683936 = 8207232 = 12 \cdot 638 \cdot 1072 = 1072 \cdot (12 \cdot 638) = 1072 \cdot 7656$
Thus 8207232 is divisible by 1072

3b) $93 \cdot 190213 = 17689809 = 93 \cdot 67 \cdot 2839 = 67 \cdot (93 \cdot 2839) = 67 \cdot 264027$
Thus 17689809 is divisible by 67

$93 \cdot 190213 = 17689809 = 93 \cdot 67 \cdot 2839 = 2839 \cdot (93 \cdot 67) = 2839 \cdot 6231$
Thus 17689809 is divisible by 2839