(8 points : 8 minutes)

1. You make wood products with glue to fasten joints together. The manufacturer of a new glue formula claims that wood joints using the new glue can hold on average 10 pounds more than joints that use the old formula. You make 14 joints using the new glue and 11 joints using the old glue, then you measure how much weight each joint can hold. Use the results below to test the glue manufacturer's claim. (Use $\alpha=0.10$ for the test and assume that variation is about the same for both glues.)

|  | Weight Held |  |
| :---: | ---: | ---: |
|  | New <br> Glue | Old <br> Glue |
| $\bar{x}=$ | 201.0 | 178.4 |
| $\mathrm{~s}=$ | 10.3 | 9.0 |
| $\mathrm{n}=$ | 14 | 11 |

(8 points : 8 minutes)
Use the results of the experiment below to test whether the population correlation ( $\rho$ ) is negative.
If you cannot figure out how to get the sample correlation coefficient quickly,
use $\mathbf{r}=\mathbf{- 0 . 3 2}$. (For this test, use $\alpha=0.025$ ).

Experiment results:
regression line:

| intercept $=$ | 0.0 |
| ---: | ---: |
| slope $=$ | 0.00 |
| $\mathrm{~S}_{\mathrm{e}}=$ | 0.00 |
| $\mathrm{n}=$ | 24 |
| $\mathrm{SY}=$ | 0.00 |

(8 points : 8 minutes)
9. A company makes complicated laboratory equipment for analyzing chemical samples. To learn about the performance of their machines, the company works with 9 laboratories and gives to each four (4) identical sample of material to analyze, so a total of 36 measurements are taken.

Variability in the outcomes of all 36 tests represents differences between laboratories (laboratory is considered the "treatment") and differences from test to test within the same laboratory ("error"). Complete the Analysis of Variance table below and carry out the appropriate hypothesis test to decide whether the expected (mean) results are the same for all 9 laboratories.
(Use a significance level of 0.04 for this test.)

Analysis of Variance Table

| Source | Sum of Degrees of Squares Freedom | Mean <br> Square | F | p-value |
| :---: | :---: | :---: | :---: | :---: |
| Laborator |  | 47.2 |  | 0.0297 |
| Error |  |  |  |  |

Total 866.3
(6 minutes : 6 points)
3. An experiment was done to examine the relationship between measurements of " X " and measurements of " Y ". Use the data reported in the box to test the proposition that $X$ and $Y$ are positively correlated. (Use $\alpha=0.025$ for the test.)

Data from the Experiment X $435 \quad 388$
302
332 394

457 306

442 450 436
(6 minutes : 7 points)
4. You make wood products with glue to fasten joints together. The manufacturer of a new glue formula claims that wood joints using the new glue can hold on average 10 pounds more than joints that use the old formula. You make 8 joints using the new glue and 15 joints using the old glue, then you measure how much weight each joint can hold. Use the results below to make a 95\% confidence interval for ( $\mu \mathrm{NEW}-\mu \mathrm{old}$ ), and then answer the question below. Experts advise you that the strength of joints made with the old glue appears to be more variable than with the new glue.

|  | Weight Held |  |
| ---: | :---: | ---: | ---: |
| New <br> Glue | Old <br> Glue |  |
| $\bar{x}=$ | 215.0 | 198.4 |
| $\mathrm{~s}=$ | 4.4 | 9.3 |
| $\mathrm{n}=$ | 8 | 15 |

(8 points : 12 minutes)
6. The form (tablets or liquid) of a sleeping aid medication may affect the speed at which the medication works. Use the results of the experiment below to test the claim that the average amount of time elapsed time) before patients fall asleep is 5 minutes longer for tablets than for liquid. It is interesting but not especially important that the variation in time was about the same for both tablets and liquid. The six patients who participated in the study did not like the flavor of the liquid.
(Use a 0.05 significance level for this test.)

(6 points : 7 minutes)
7. A company makes a sleep aid medication. They are interested in making a liquid version of their popular tablets, but some patients say liquid formulas usually taste bad. Use the following data to prepare a $98 \%$ confidence interval for the difference between the proportion of taste testers who say that Formula "A" tastes "bad" and the proportion of taste testers who say Formula "B" tastes "bad".

Taste Test Result
Good Bad Total
$\begin{array}{llll}\text { Formula A } 387 & 13 & 400\end{array}$
Formula B $354 \quad 46$
(8 points : 10 minutes)
8. A company makes a sleep aid medication. They are concerned that alcohol use may interfere with the medications effectiveness, so that people who drink take longer to fall asleep. Use the data below to test whether the time needed to fall asleep after taking the medication is independent of a person's level of alcohol use.

| Amount of daily alcohol use | Minutes needed before sleep$\begin{array}{lll} 0-10 & 10-20 & 20-30 \\ \hline \end{array}$ |  |  | Total |
| :---: | :---: | :---: | :---: | :---: |
| none | 117 | 269 | 114 | 500 |
| 1 to 2 drinks | 90 | 240 | 170 | 500 |
| 3 or more drinks | 82 | 239 | 179 | 500 |
| Total | 289 | 748 | 463 | 1500 |

## (7 points : 10 minutes)

10. A major news organization is interested in the public issues that registered voters think are most important. A stratified random sample of 320 registered voters is selected to represent the whole population of voters. Each voter is asked to select from a list of 8 issues the one that is most important. Compare the results to see if they are significantly different from the proportions expected by the news organization that carried out the study. (Let $\alpha$ be 0.05 for the test.)

Ho:

Ho:

|  | Proportions |  |
| :--- | :---: | :---: |
| Issue |  |  |
| Expected In Sample |  |  |
| Traffic <br> Congestion | $10 \%$ | $30 \%$ |
| Pollution | $10 \%$ | $5 \%$ |
| Taxes | $10 \%$ | $25 \%$ |
| Deficits | $10 \%$ | $5 \%$ |
| Death | $5 \%$ | $5 \%$ |
| Penalty | $25 \%$ | $20 \%$ |
| Iraq War | $10 \%$ | $5 \%$ |
| Education | $20 \%$ | $5 \%$ |
| Health Care |  |  |

(8 points; 10 minutes)
3. Create a $\mathbf{9 0 \%}$ confidence interval for the difference between the two population means
represented by the means of the two samples. (Assume that variation is the same for both populations.)

|  | A | B |
| :---: | :---: | :---: |
|  | 135 | 90 |
| 86 | 110 |  |
| 95 | 130 |  |
| 85 | 98 |  |
| 167 | 80 |  |
| 93 | 113 |  |
| 94 |  |  |
|  | 131 |  |
|  | 119 |  |
| average |  |  |
| st. dev. | 111.7 | 103.5 |
| $n$ | 9 | 17.9 |
|  |  | 6 |
|  |  |  |

Based on your confidence interval, is it reasonable to claim that $\mu \mathrm{B}$ is 102 and $\mu \mathrm{A}$ is 113 ?

YES NO Why?
$\qquad$
$\qquad$
(8 points; 10 minutes)
4. Use the data on personal net worth and happiness scores for a random sample of 6 people to test the claim that net worth and happiness are positively correlated. (Let $\alpha=0.05$ for this test.)

| Person: | 1 | 2 | 3 | 4 | 5 | 6 |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Net worth*: | 65 | 120 | 127 | 131 | 190 | 83 |
| Happiness: | 7 | 4 | 7 | 10 | 7 | 1 |

* in \$1000's

Claim: $\qquad$
Ho: $\qquad$
H1: $\qquad$
(8 points; 10 minutes)
5. Use the information in the contingency table to decide whether or not to reject the claim that Factor A and Factor B are independent. Let $\alpha=0.05$ for this test.

| Level of <br> Factor B | Level of Factor A |  |  | Row |
| :---: | :---: | :---: | :---: | :---: |
| Total |  |  |  |  |

Claim: $\qquad$
Ho: $\qquad$
$\mathrm{H}_{1}$ : $\qquad$
(10 points : 10 minutes)
10. A maker of tires for cars believes a new design will wear longer than the current design. Four of the new tires are prepared. Four cars are used in an experiment where one tire of the old design and one of the new design are used on the front wheels of each car. Use the data below to test the manufacturer's claim that the new design will increase the miles of wear by more than 500 miles. (Use a 0.10 significance level for the test.)

| Miles of Wear per Tire |  |  |
| :---: | :---: | :---: |
|  | Old <br> Design | New <br> Design |
| 1 | 58500 | 59100 |
| 2 | 60100 | 60700 |
| 3 | 58500 | 59200 |
| 4 | 63400 | 63800 |

(10 points; 10 minutes)
8. Use the survey results below to test the claim that the eight issues listed are equally ranked as most important by voters in the region of the survey. The sample was selected at random from the list of all registered voters. Let $\alpha=0.025$.

Claim: $\qquad$

| Issue | Count |
| :--- | :---: |
| Taxes | 87 |
| Education | 105 |
| Security | 96 |
| Poverty | 108 |
| Transportation | 114 |
| Environment | 104 |
| Immigration | 87 |
| Social Security / | 99 |
| Medicare |  |

Ho: $\qquad$
$\mathrm{H}_{1}$ : $\qquad$

Total $=\mathbf{8 0 0}$
(7 points; 8 minutes)
9. A random sample of 50 houses valued at more than $\$ 300,000$ found $12 \%$ with significant health hazards, while a random sample of 46 homes valued at less than $\$ 100,000$ found $17.4 \%$ with significant health hazards. Create a $95 \%$ confidence interval for the difference between the the proportions of the two populations from which the samples came.
(3 points, 5 minutes)
8. Assign one of the following correlation coefficients to each of the graphs to the right. (or state $r=$ none if no correlation coefficient seems appropriate for a graph)

(3 points, 5 minutes)
9. Assign one of the following correlation coefficients to each of the graphs to the right. (or state $r=$ none if no correlation coefficient seems appropriate for a graph)

$r=$ $\qquad$

(3 points, 5 minutes)
10. Assign one of the following correlation coefficients to each of the graphs to the right. (or state $r=$ none if no correlation coefficient seems appropriate for a graph)


1. Use the data given here to test the claim that the linear correlation between fuel economy (miles per gallon) and speed (miles per hour) is negative. Assume the test vehicles were selected at random.
(Use $\alpha=0.01$ and do not use Table A.6)
Claim: $\qquad$

|  | $(\mathrm{X})$ | $(\mathrm{Y})$ <br> Fuel |
| ---: | ---: | ---: |
| Vehicle | Speed Economy <br> $(\mathrm{mi} / \mathrm{hr})$ | $(\mathrm{mi} /$ gal $)$ |
| 1 | 26 | 30.7 |
| 2 | 34 | 22.7 |
| 3 | 39 | 19.0 |
| 4 | 58 | 23.8 |
| 5 | 61 | 15.5 |
| 6 | 78 | 17.5 |

(6 points - 10 minutes)
2. Would the conclusion of your test change if the correlation were the same but the sample had included 28 vehicles? Do not answer just "yes" or "no". Prove your case.
(10 points - 15 minutes)
3. The proportions of people in the U.S. that prefer 5 different kinds of entertainment are shown in the table below. A local survey of 600 people found 60 people who prefer movies, 300 who prefer to watch TV, 90 who like to listen to music, 30 who prefer dancing, and 120 that prefer to play sports. Test the claim that the true local proportions are the same as the national rates. (Use a 0.05 significance level for the test)

Claim: $\qquad$
Ho: $\qquad$
H1: $\qquad$

| Preferred <br> Entertainment | National Rates |  |
| :---: | :---: | :---: |
| Watching Movies | 0.15 | 60 |
| Watching Television | 0.35 | 300 |
| Listening to Music | 0.10 | 90 |
| Dancing | 0.10 | 30 |
| Playing Sports | 0.30 | 120 |
| Survey Total = |  | 600 |

(10 points - 20 minutes)
4. Use the data in the table to test the idea that the use of some "slang" terms is independent of age.

The data represent a stratified random sample of 400 people from Los Angeles.
(Use $\alpha=0.025$ for this test)

|  | Age Group |  |  |  |  |
| :---: | ---: | ---: | ---: | ---: | ---: |
| Most used <br> Slang Term | 10 to 20 | 21 to 40 | 41 to 60 | $>60$ | Total |
| "I'm like ... " | 88 | 50 | 10 | 2 | 150 |
| "totally" | 10 | 40 | 40 | 10 | 100 |
| "far out" | 2 | 10 | 50 | 88 | 150 |
| Total | 100 | 100 | 100 | 100 | 400 |

Claim: $\qquad$

Ho: $\qquad$
$\mathrm{H}_{1}$ : $\qquad$
(6 points; 8 minutes)
12. Two random samples of arthritis pain sufferers are treated with pain relieving creams. The first sample of people use "Cream A" and the second sample of people uses "Cream B". Use the results below to construct a 98\% confidence interval for the difference between the proportions of people who reported that the cream they used made the pain less.

|  | Cream A | Cream B |
| ---: | :---: | :---: |
|  | 38 | 51 |
| Less Pain | 38 | 9 |
| Not less | 12 | 60 |
| Total | 50 |  |

(7 points; 8 minutes)
13. A random sample of arthritis pain sufferers is treated with two pain relieving creams. Each person uses "Cream A" for a month and "Cream B" for a month (in a random order). Use the data below to test the claim that "Cream B" relieves pain better than "Cream A". (Use a 0.05 significance level for the test.)

|  | Pain Level Reported <br> Using Cream |  |
| :---: | :---: | :---: |
| Person | A | B |
| 1 | 7 | 9 |
| 2 | 6 | 5 |
| 3 | 9 | 7 |
| 4 | 1 | 2 |
| 5 | 4 | 5 |

(8 points; 8 minutes)
2. The popularity of TV shows is important to advertisers. A random sample of 1500 TV viewers in California was studied with the results shown below. Use these results to decide whether the popularity of the selected TV shows is the same in CA and NY or different.
(Use a Type I error rate of 0.01 to make your decision.)

| Popularity of Selected TV Shows |  |  |
| :--- | :---: | :---: |
| Show | Monday 6 p.m. Audience |  |
|  | Share in NY | Viewers in <br> CA sample |
|  | $31 \%$ | 426 |
| American Idol | $26 \%$ | 414 |
| Boston Legal | $19 \%$ | 333 |
| Friends | $24 \%$ | 327 |

(8 points; 8 minutes)
3. The popularity of TV shows is important to advertisers. A random sample of 1600 TV viewers in California was studied with the results shown below. Use these results to decide whetherthe selected TV shows are equally popular. (Use a Type I error rate of 0.01 to make your decision.)

| Popularity of Selected TV Shows <br> Monday 6 p.m. Audience |  |
| :--- | :---: |
| Show | CA sample |
| Lost | 416 |
| American Idol | 414 |
| Boston Legal | 383 |
| Friends | 387 |

(8 points; 12 minutes)
4. Random samples of 500 women and 500 men were asked to evaluate their job satisfaction as "Excellent," "High," "Moderate," or "Low." Use the data below to test the claim that women and men have the same proportions of these ratings. (Use $\alpha=10 \%$ for this test.)

| Job <br> Satisfac | Female |  | Male |
| :--- | :---: | :---: | :---: |
| Tow |  |  |  |
| Total |  |  |  |,

Claim: $\qquad$

Ho: $\qquad$
$\qquad$
$\mathrm{H}_{1}$ : $\qquad$
$\qquad$
(8 points; 8 minutes)

1. A study of different "rehabilitation" programs needed the participation of 500 inmates from California prisons. A randomized list of all prisoners was prepared and the first 250 names on the list were assigned to rehab method \#1 and the rest were assigned to rehab method \#2. The rates of recidivism (later conviction and return to prison for another crime) were studied. Use the results below to make a $90 \%$ confidence interval for the difference between the recidivism rates for the two methods.

|  | Rehabilitation Method |  |
| ---: | :---: | :---: |
|  | Method 1 | Method 2 |
| Returned to <br> Prison | 112 | 175 |
| Did not return <br> to Prison | 388 | 325 |

11. Assign the three sample correlation coefficients to the three pictures. A correlation value may be used more than once or not at all. If a picture has no appropriate value offered for its correlation, select the "N/A" option.

(3 points; 2 minutes)
12. Assign the three sample correlation coefficients to the three pictures. A correlation value may be used more than once or not at all. If a picture has no appropriate value offered for its correlation, select the "N/A" option.

(3 points; 2 minutes)
13. Assign the three sample correlation coefficients to the three pictures. A correlation value may be used more than once or not at all. If a picture has no appropriate value offered for its correlation, select the "N/A" option.

(10 points : 10 minutes)
14. Use the following information (data, etc.) to complete the Analysis of Variance table and test the appropriate hypothesis for "One Way" AOV. Use a 2\% significance level for the test.

Medicare costs for random samples of medicare patients in each state.

| State: | AZ | CA | NV | OR | WA |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  | $\$ 2,348$ | $\$ 5,481$ | $\$ 4,051$ | $\$ 3,732$ | $\$ 5,522$ |
|  | $\$ 3,895$ | $\$ 5,493$ | $\$ 2,085$ | $\$ 5,279$ | $\$ 4,352$ |
|  | $\$ 2,569$ | $\$ 6,406$ | $\$ 4,291$ | $\$ 4,514$ | $\$ 4,399$ |
|  | $\$ 4,063$ | $\$ 3,115$ | $\$ 2,162$ | $\$ 5,521$ | $\$ 6,161$ |
|  | $\$ 5,261$ | $\$ 5,108$ | $\$ 3,383$ | $\$ 5,574$ | $\$ 4,587$ |
|  | $\$ 3,572$ | $\$ 5,273$ | $\$ 4,861$ | $\$ 3,175$ | $\$ 5,370$ |
|  | $\$ 2,668$ | $\$ 4,869$ | $\$ 4,809$ | $\$ 5,608$ | $\$ 3,306$ |
|  | $\$ 4,079$ | $\$ 2,414$ | $\$ 3,361$ | $\$ 4,201$ | $\$ 4,341$ |
|  | $\$ 2,932$ | $\$ 4,099$ | $\$ 3,360$ | $\$ 4,065$ | $\$ 4,261$ |
|  | $\$ 3,478$ | $\$ 5,843$ | $\$ 4,563$ | $\$ 2,744$ | $\$ 4,313$ |
|  | $\$ 2,505$ | $\$ 5,483$ |  | $\$ 2,883$ | $\$ 3,126$ |
|  | $\$ 3,699$ | $\$ 3,510$ |  | $\$ 3,656$ |  |
|  | $\$ 2,730$ |  |  | $\$ 3,357$ |  |
|  |  |  |  |  |  |
| Avg. | $\$ 3,369.15$ | $\$ 4,757.83$ | $\$ 3,692.60$ | $\$ 4,177.62$ | $\$ 4,521.64$ |
| St.Dev. | $\$ 819.87$ | $\$ 1,244.86$ | $\$ 1,058.09$ | $\$ 1,078.95$ | $\$ 877.17$ |
| n | 13 | 12 | 10 | 13 | 11 |
| d.f. | 12 | 11 | 9 | 12 | 10 |

Ho: $\qquad$
$\mathrm{H}_{1}$ : $\qquad$

Selected Summary
Statistics:

70566800 = total sum of squares

56852688 = sum of squares for error

Anova Table

| Source | SS | d.f. | MS | F |
| :--- | :--- | :--- | :--- | :--- |
| States |  |  | p-value |  |
| Error |  |  |  |  |

Total
(10 points - 15 minutes)
5. The following data are "random" measurements of responses to eight different "treatments". An incomplete Analysis of Variance table is given. Use the data to complete the ANOVA table (but do not include a p-value). Then use the results in your your table to carry out the appropriate test of the claim that the true means of the eight populations are all equal.
(Use $\alpha=0.025$ for this test)

|  |  |  |  |  | tment |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | A | B | C | D | E | F | G | H |
|  | 107 104 97 100 105 102 101 96 | $\begin{array}{r} 100 \\ 98 \\ 93 \\ 95 \end{array}$ | $\begin{array}{r} 108 \\ 95 \\ 102 \\ 99 \\ 98 \\ 96 \\ 96 \end{array}$ | 104 101 109 98 97 89 103 | $\begin{array}{r} 101 \\ 100 \\ 101 \\ 106 \\ 95 \end{array}$ | $\begin{array}{r} 96 \\ 97 \\ 103 \\ 99 \\ 100 \\ 105 \\ 108 \\ 97 \end{array}$ | $\begin{aligned} & 111 \\ & 104 \\ & 112 \\ & 110 \\ & 119 \end{aligned}$ | $\begin{aligned} & 110 \\ & 117 \\ & 115 \\ & 109 \end{aligned}$ |
|  |  |  | Sam | Statis | or ea | eatm |  |  |
| Mean | 101.5 | 96.5 | 99.1 | 100.1 | 100.6 | 100.6 | 111.2 | 112.8 |
| Std. Dev. | 3.82 | 3.11 | 4.56 | 6.34 | 3.91 | 4.31 | 5.36 | 3.86 |
| N | 8 | 4 | 7 | 7 | 5 | 8 | 5 | 4 |

Mean = 102.25
$\mathrm{H}_{1}$ : $\qquad$

Ho: $\qquad$

Analysis of Variance

| Source | df | SS | MS |
| :---: | :---: | :---: | :---: |
| Treatments |  | 158.81 |  |
| Error |  |  |  |

Total
1959.0
(6 points; 7 minutes)
2. Based on the data given below, do parts (a) through (d).

|  | Temperature ( $\left.{ }^{\circ} \mathrm{K}\right)$ at |  |
| :---: | :---: | :---: |
| Observation | 5000 feet | Surface |
| 1 | 296 | 304 |
| 2 | 277 | 294 |
| 3 | 275 | 287 |
| 4 | 288 | 304 |
| 5 | 276 | 286 |
| 6 | 267 | 287 |
|  | $(\mathrm{Y})$ | $(\mathrm{X})$ |

(a) Plot the data points on the graph.
(b) Enter data in calculator and write the equation for the best-fitting line:
(c) Plot the line on the graph.
(d) Predict the temperature at 5000 feet when the surface temperature is $280{ }^{\circ} \mathrm{K}$ ?.
(e) What is the proportion of the variability in $Y$ that is "explained" by the temperature at the surface?
(b) The expression for the total variability in Y is:
(c) The value of the total variability in Y is:
(d) The expression for the explained variability in Y is:
(e) The value of the explained variability in $Y$ is:
(f) The expression for the unexplained variability in $Y$ is:
(g) The value of the unexplained variability in Y is:
(h) The expression for the Standard Error of Estimate is:
(i) The value of the Standard Error of Estimate is:
(15 points : 15 minutes)
2. Use the data below to answer the questions on this page.

|  | Swimming <br> Pools Per | Annual <br> High Temp. <br> Community <br> 1000 Homes |
| :---: | :---: | :---: |
|  |  |  |
| 1 | 380 | 45 |
| 2 | 430 | 45 |
| 3 | 199 | 29 |
| 4 | 331 | 36 |
| 5 | 224 | 33 |
| 6 | 260 | 30 |

(a) Plot the points on the graph.
(b) Determine the equation of the line that fits the data best and plot it:

intercept $=$ $\qquad$ slope $=$ $\qquad$ equation: $\qquad$
(c) For a new community, what is the estimated number of swimming pools per 1000 homes if the annual high temperature is $45^{\circ} \mathrm{C}$ ?
(d) What is the value of the linear correlation coefficient for the two variables?
(e) What percentage of the total variation in number of pools is explained by your line?
(f) Write the symbolic expressions and give the values for the three items below:

Total variation in number of pools

Symbolic
expression $\qquad$
Explained variation in number of pools

Unexplained variation in number of pools
value $\qquad$
(g) Write the symbolic expression and give the value for the standard error of estimate:

Symbolic
expression $\qquad$

